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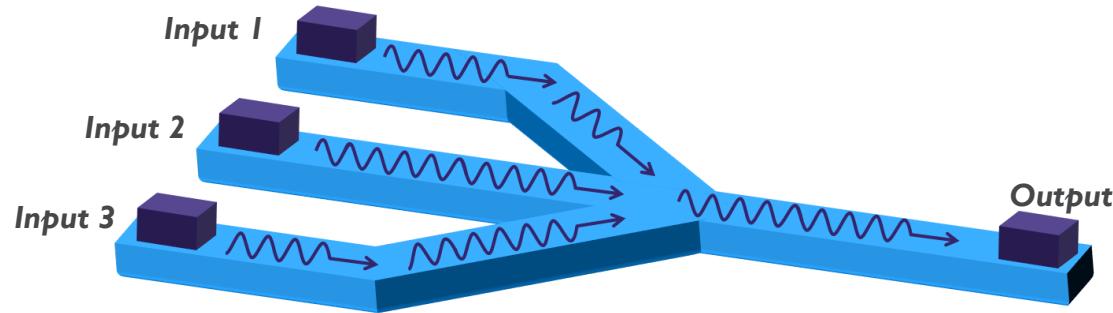
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Magnetoelectric waves in nanoscale waveguides and piezoelectric/magnetostrictive bilayer transducers

Frederic Vanderveken, Bart Soree, Florin Ciubotaru, and Christoph Adelmann

Logic circuits based on wave-based majority gates

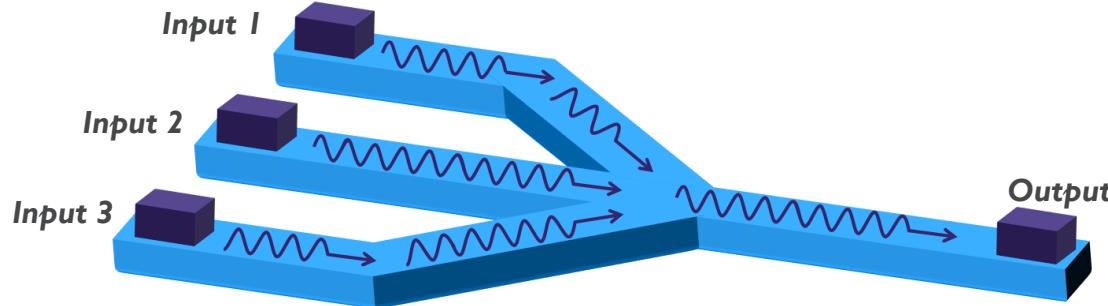


Wave computing:
Information encoded in the wave's phase or amplitude

Logic table			
I_1	I_2	I_3	O
0	0	0	0
0	0	1	0
0	1	1	1
1	1	1	1

Computation by interference
Natural logic gate: majority gate

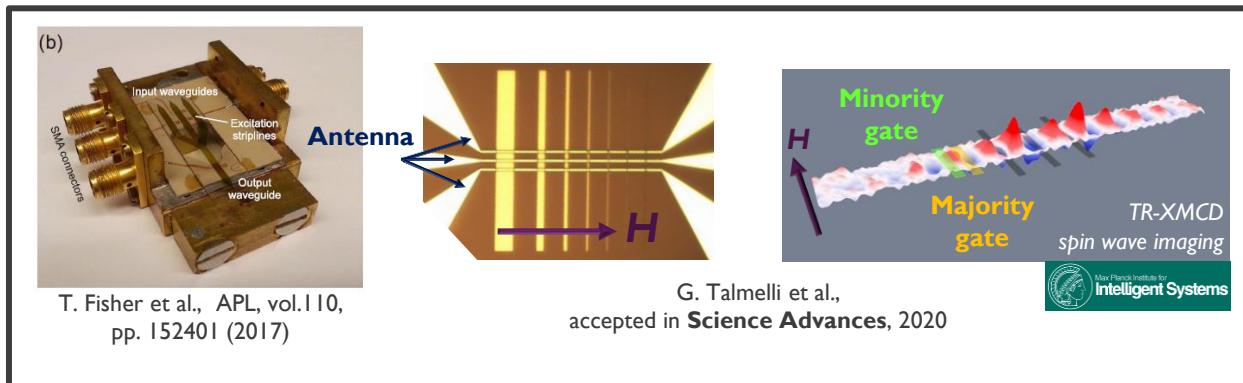
Spin-wave majority gate demonstrated to work properly



Logic table

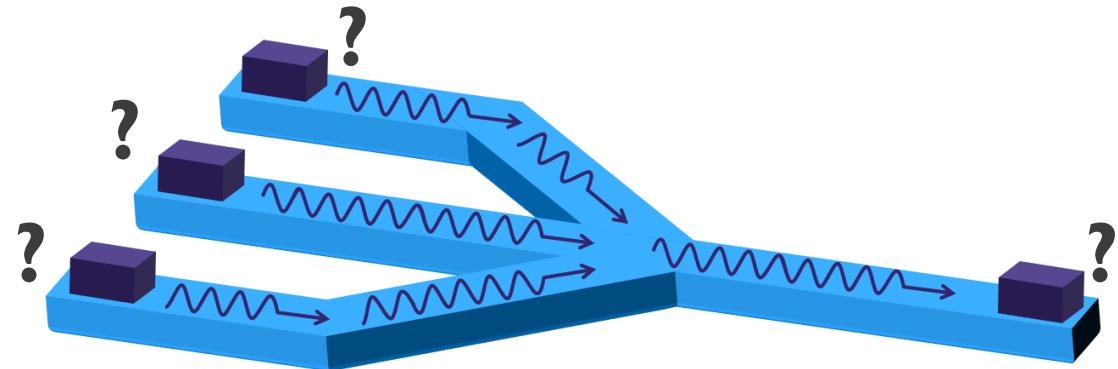
I_1	I_2	I_3	O
0	0	0	0
0	0	1	0
0	1	1	1
1	1	1	1

Experimental demonstration of Majority Gates



Next steps

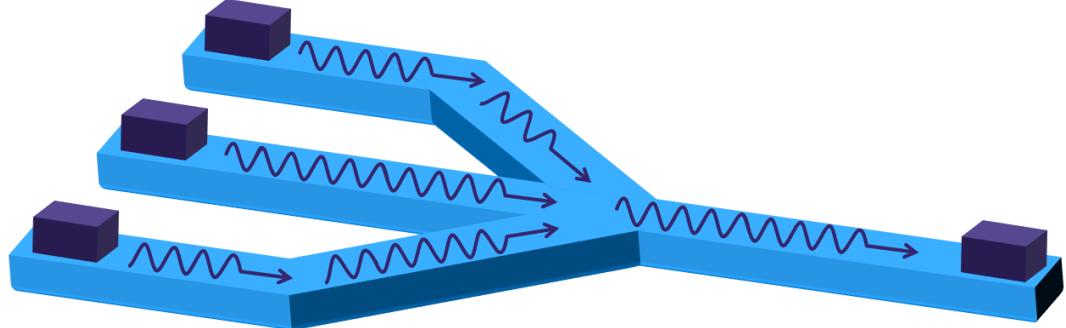
1. Energy efficient magnetoelectric transducer



Next steps and challenges

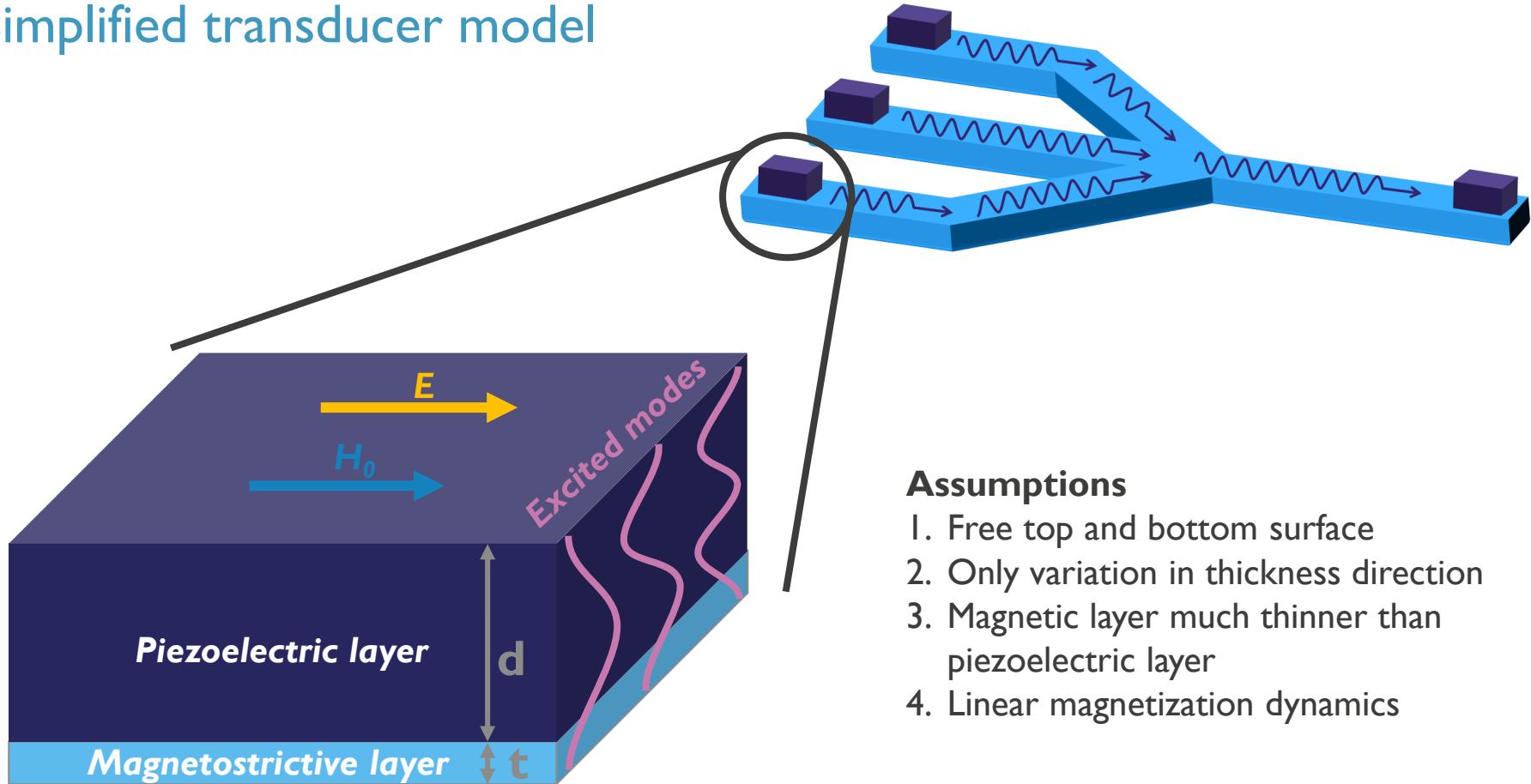
1. Energy efficient magnetoelectric transducer

2. Magnetoelastic waves in nanoscale waveguide



Magnetoelectric transducer

Simplified transducer model



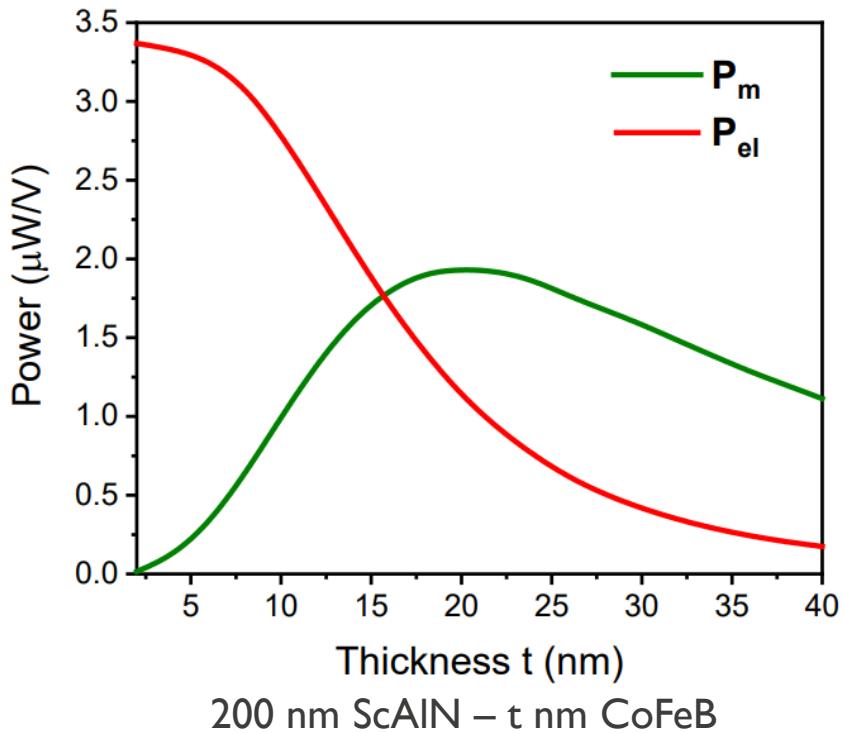
Assumptions

1. Free top and bottom surface
2. Only variation in thickness direction
3. Magnetic layer much thinner than piezoelectric layer
4. Linear magnetization dynamics

Theoretical approach

1. Determine differential equations in piezoelectric and magnetostrictive layer
2. Determine boundary and continuity conditions
3. Solve boundary value problem
4. Calculate magnetic P_m and elastic power P_{el} based on this solution
5. Determine efficiency: $P_m/(P_m+P_{el})$

Increasing magnet layer thickness reduces strain amplitude



Strain amplitude determined by the losses

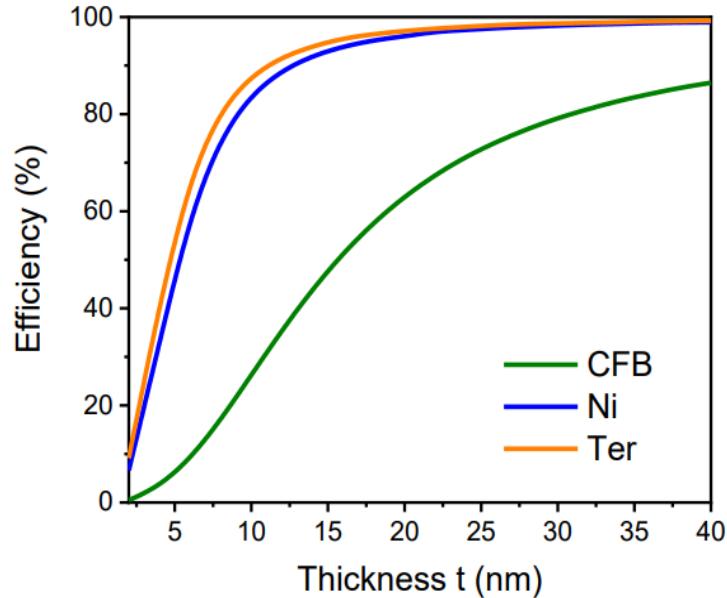
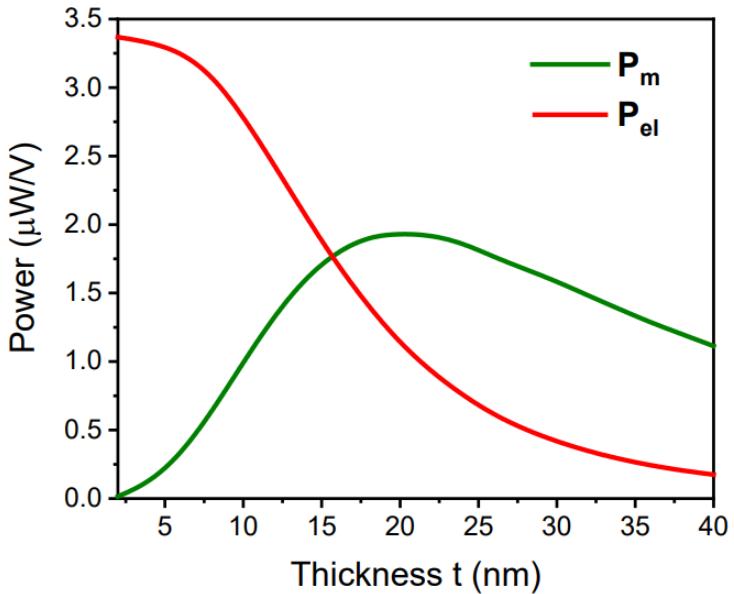
Elastic power

- $P_{el} \sim S^2 \rightarrow$ elastic power decreases

Magnetic power

- $P_m \sim tS^2 \rightarrow$ Two counteracting effects

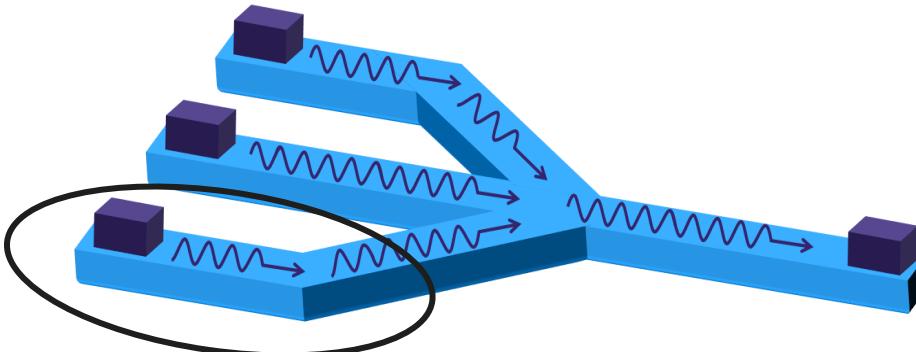
Increasing magnet layer thickness improves the efficiency



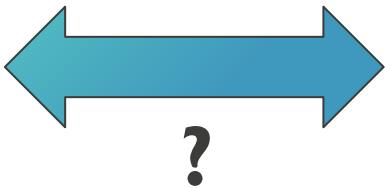
$$FoM = \frac{B^2 H_0}{M_s \alpha (2H_0 + M_s)}$$

Confined magnetoelastic waves

Piezoelectric resonator generates magnetoelastic waves

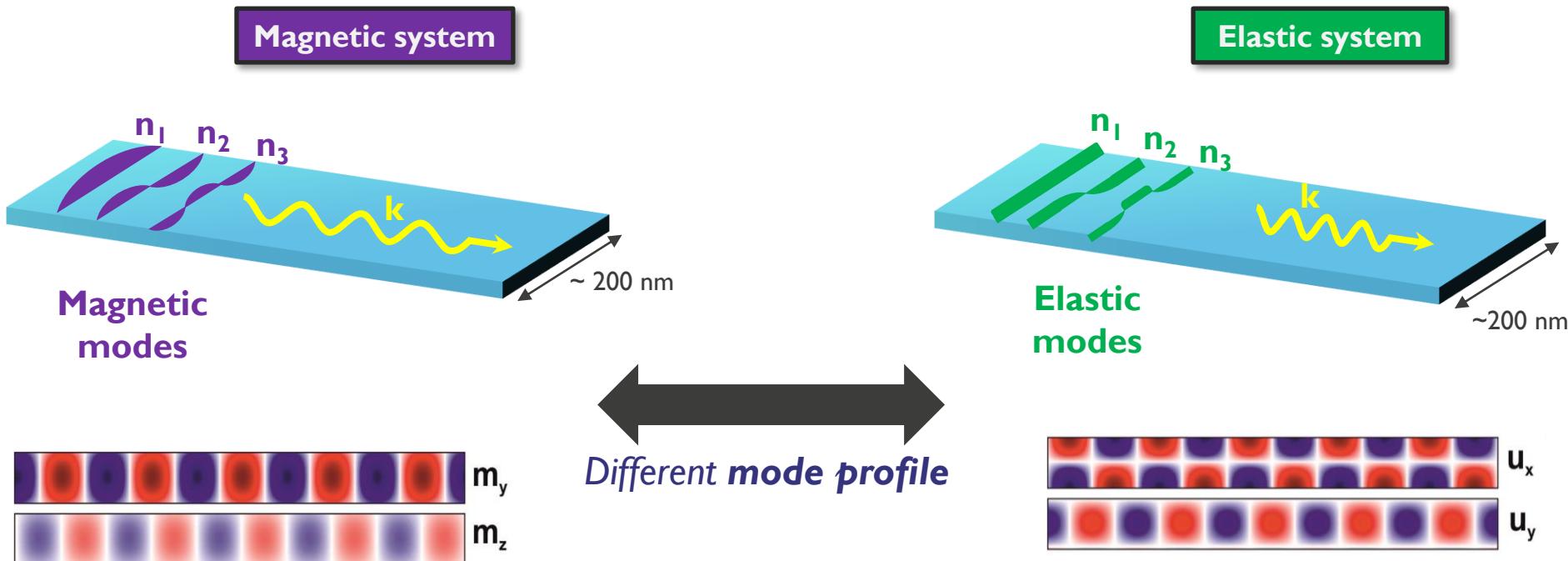


Elastic waves

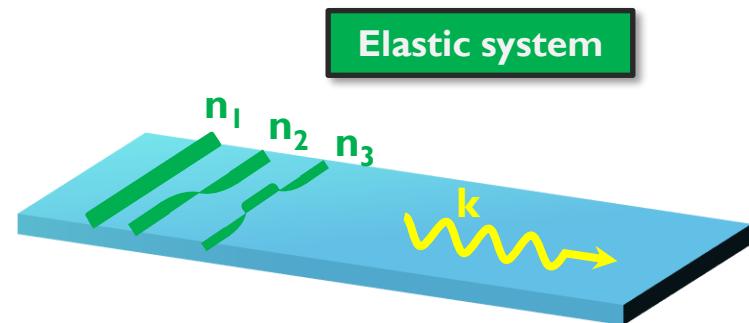
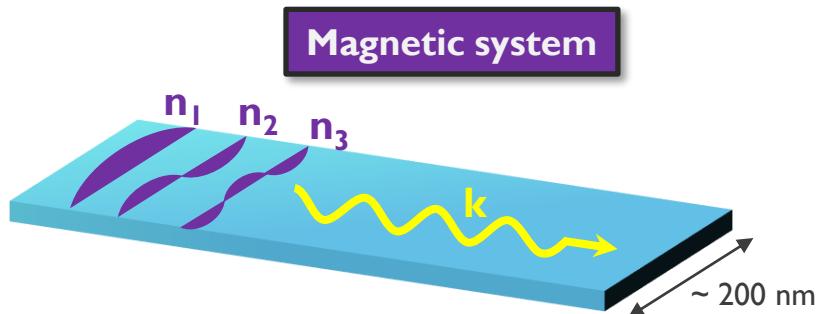


Spin waves

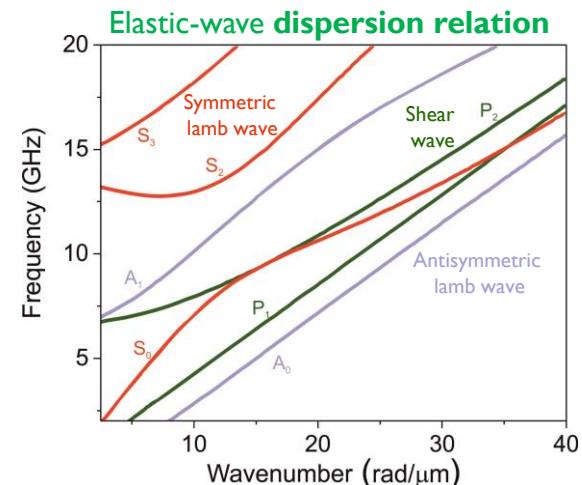
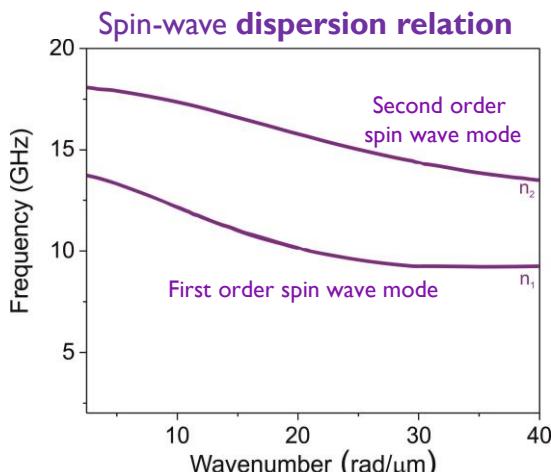
Magnetic and elastic modes have different mode profile



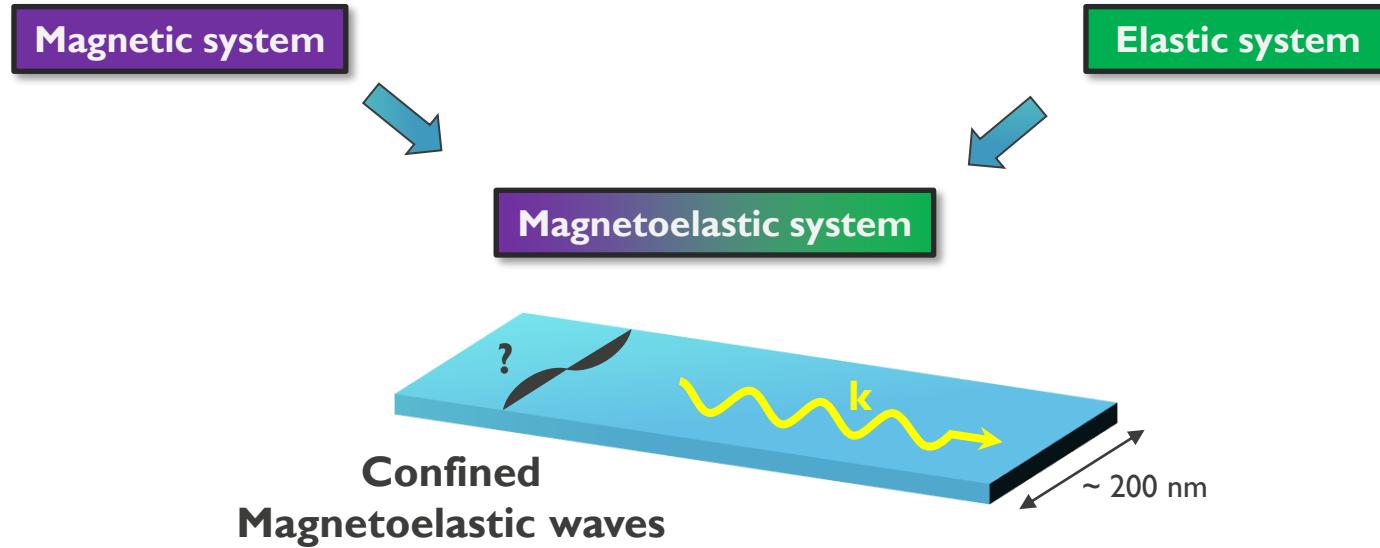
Magnetic and elastic modes have different dispersion relation



↔
**Different dispersion relation
and mode profile**



What happens if we combine confined magnetic and elastic waves?



Does confinement alter the magnetoelastic coupling?

Do all elastic modes interact with all magnetic modes?

New developed numerical solver

Micromagnetic solvers exist

MuMax3

Magnetization

$$\dot{\mathbf{m}} = -\gamma_0 \mathbf{m} \times \mathbf{H}_{\text{eff}} + \alpha \mathbf{m} \times \dot{\mathbf{m}}$$

Landau-Lifshitz-Gilbert equation

Elastodynamics is crucial to simulate magnetoelastic waves

Displacement

Elastodynamic equation

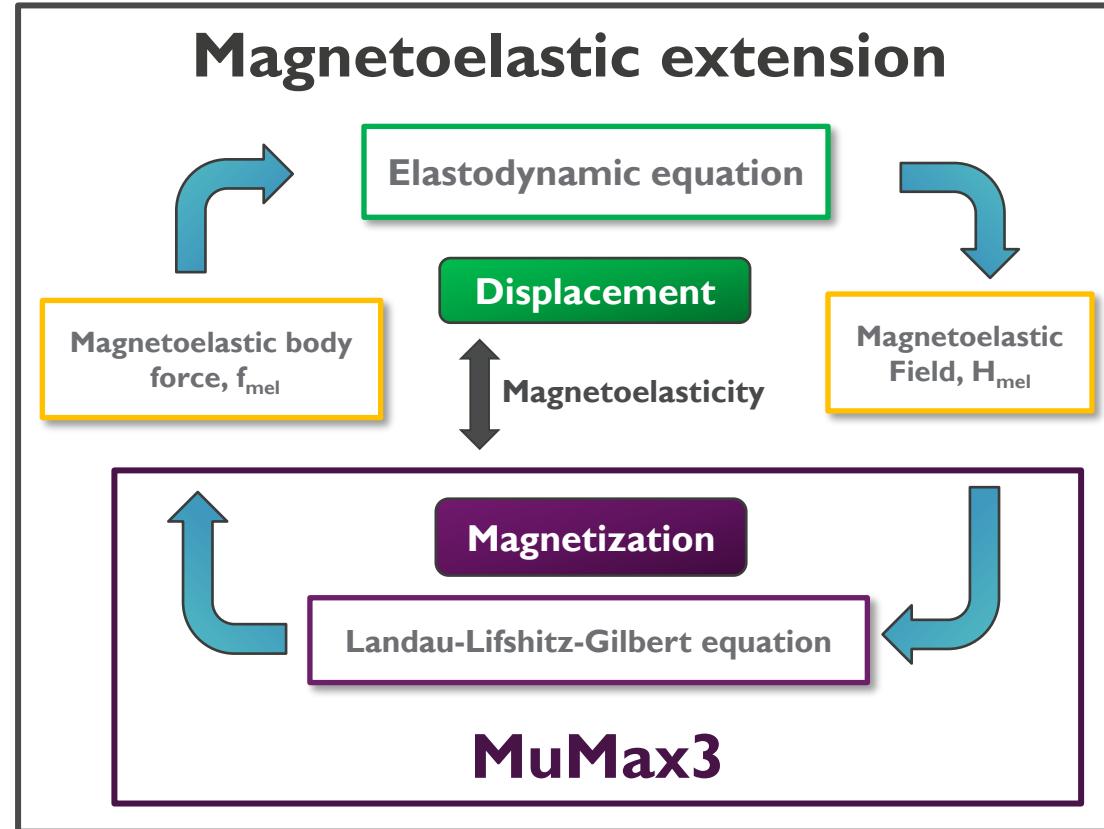
$$\rho \ddot{\mathbf{u}} + \eta \dot{\mathbf{u}} = \mathbf{f}_{\text{tot}}$$

Magnetization

Landau-Lifshitz-Gilbert equation

MuMax3

Novel mumax3 extension



Magnetoelastic waves

CoFeB parameters used for simulations

Magnetic parameters

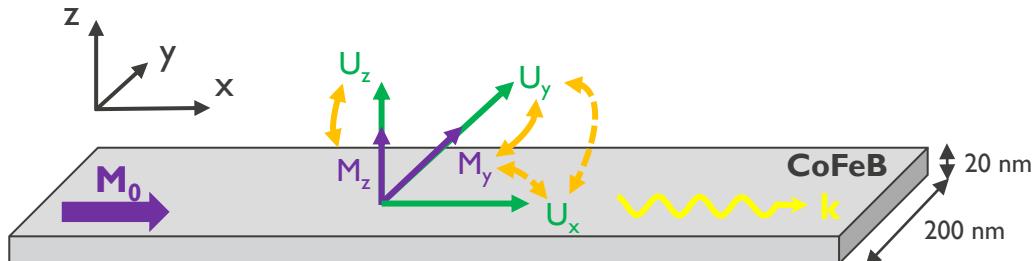
$$\begin{aligned}M_s &= 1.2 \text{ MA/m} \\A_{ex} &= 18 \text{ pJ/m} \\\alpha &= 0.004 \\\mu_0 H_{ext} &= 5 \text{ mT}\end{aligned}$$

Elastic parameters

$$\begin{aligned}C_{11} &= 283 \text{ GPa} \\C_{12} &= 166 \text{ GPa} \\C_{44} &= 58 \text{ GPa} \\Rho &= 8 \text{ kg/m}^3\end{aligned}$$

Magnetoelastic coupling

$$\begin{aligned}B_1 &= -8.8 \text{ MJ/m} \\B_2 &= -8.8 \text{ MJ/m}\end{aligned}$$



G. Yu, et al., Appl. Phys. Lett. 106, 72402 (2015).

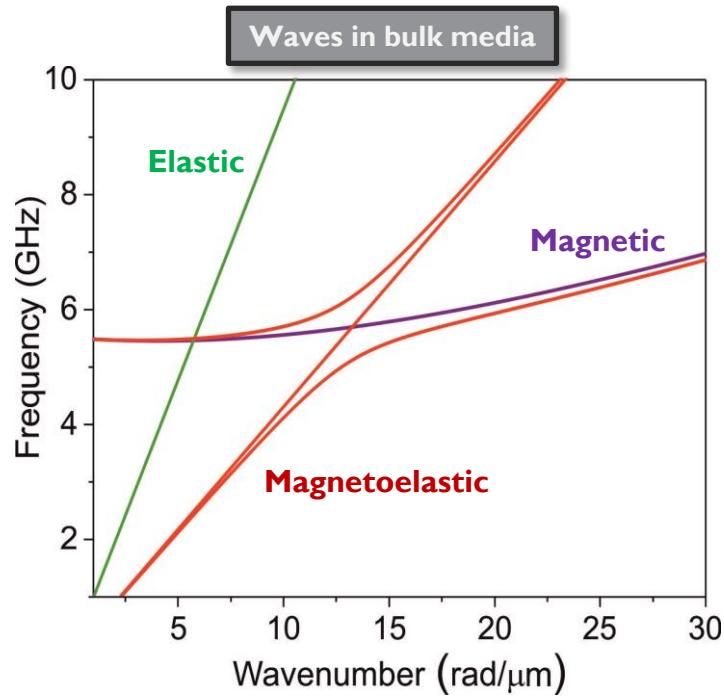
A. Conca, et al., Appl. Phys. Lett. 104, 182407 (2014).

R.-C. Peng, et al., Sci. Rep. 6, 27561 (2016).

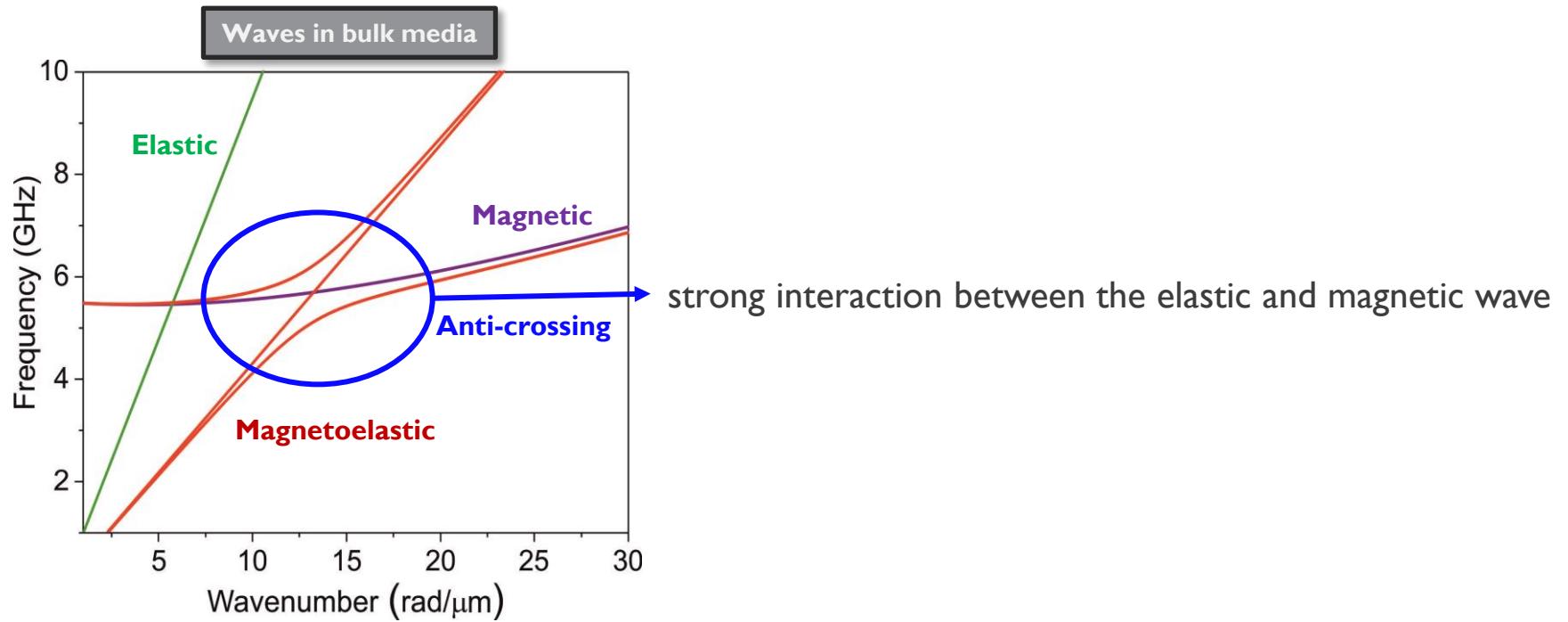
M. Gueye, et al., J. Phys. D: Appl. Phys 49, 145003 (2016).

F. Vanderveken, et al., Phys. Rev. B 103, 054439 (2021).

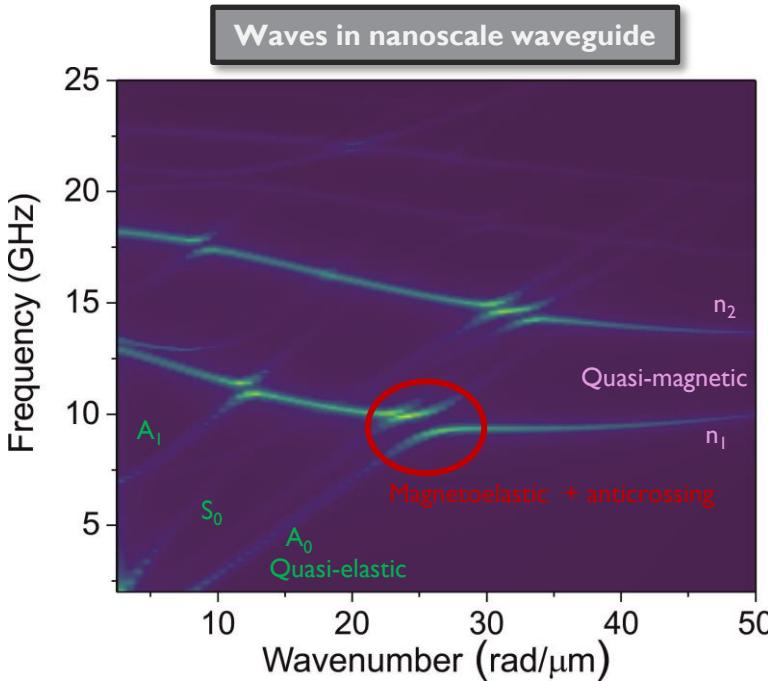
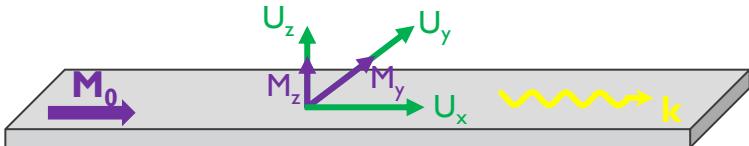
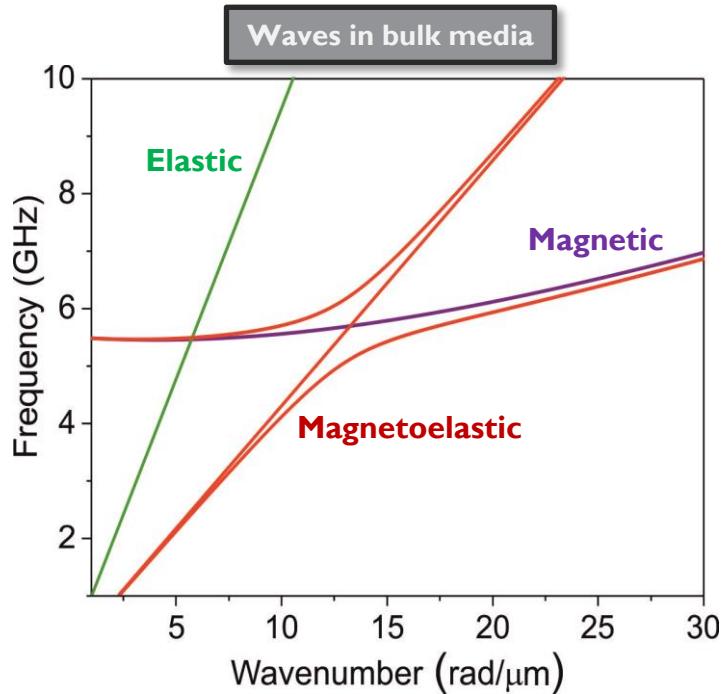
Dispersion relations



Dispersion relations

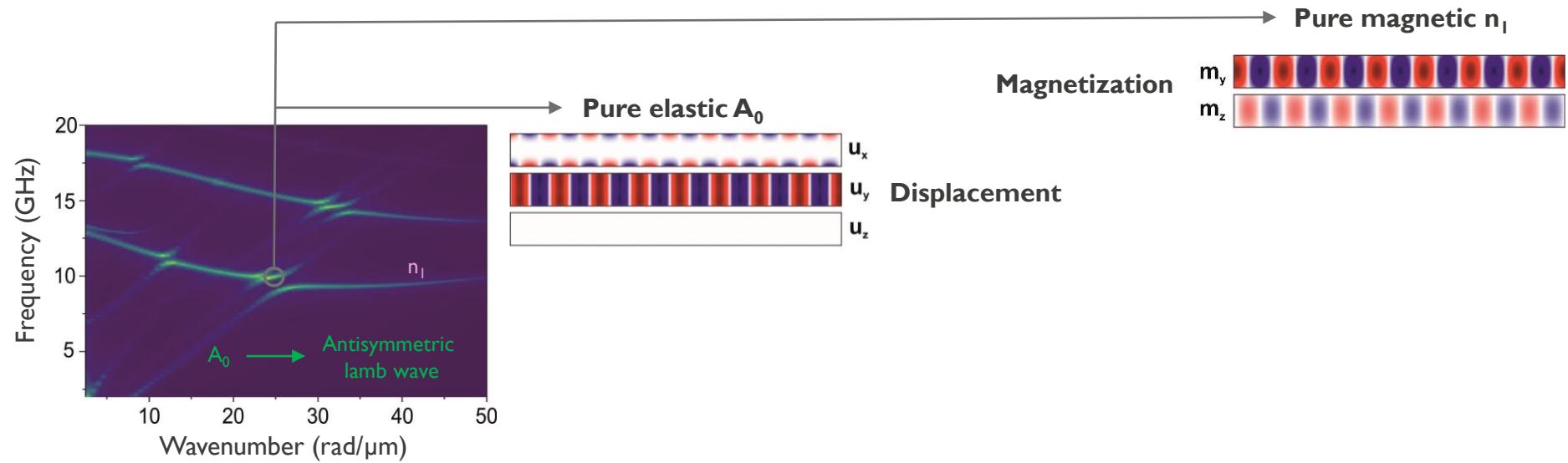
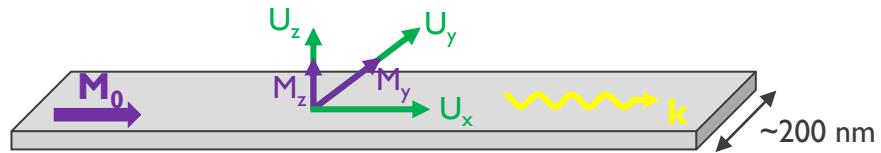


Dispersion relations



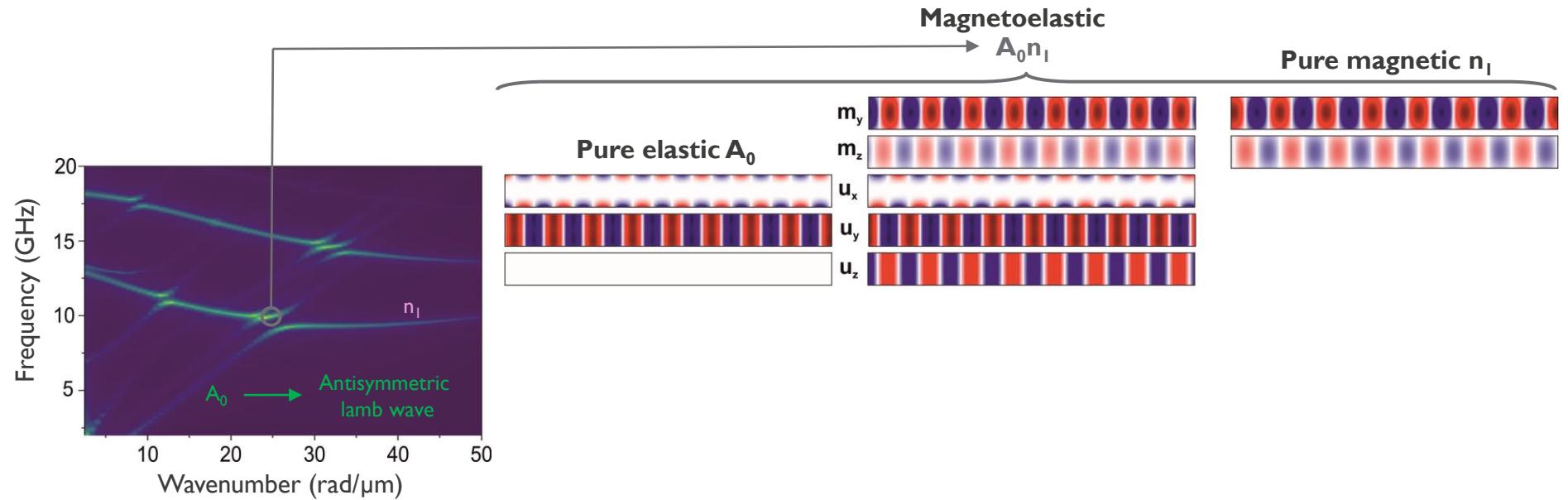
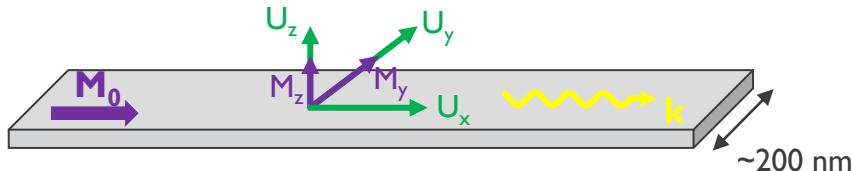
*Many magnetic and elastic modes in scaled waveguide
→ Multiple interaction points with varying strength*

Mode profiles of confined waves



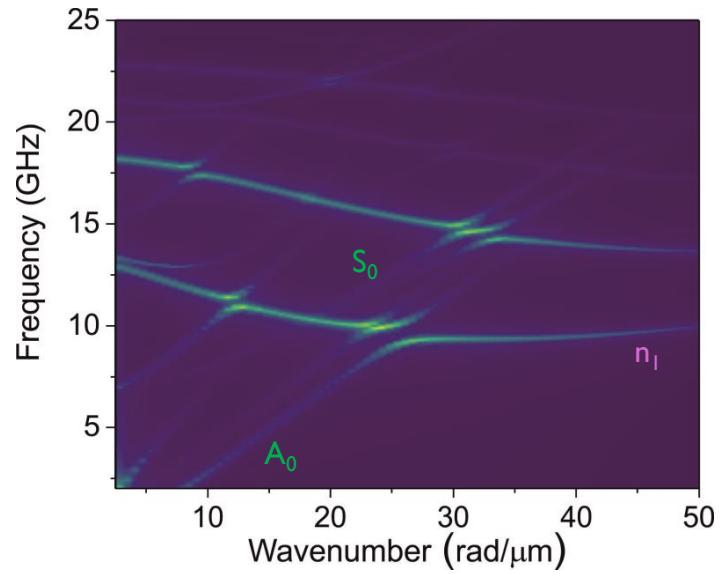
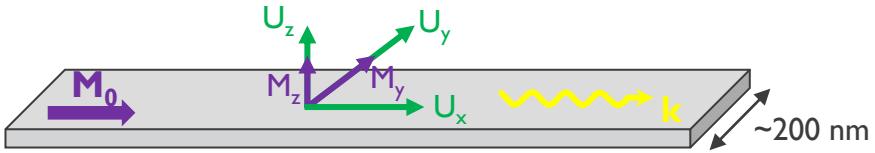
Mode profiles of magnetoelastic waves

Magnetoelastic regime

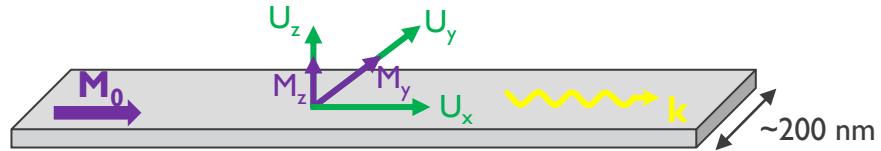
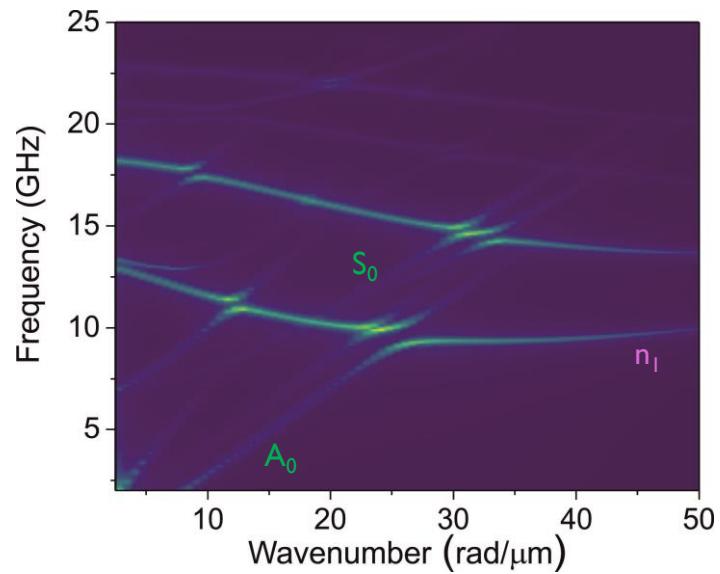


Magnetoelastic coupling does not strongly affect mode profiles

Mode dependent coupling

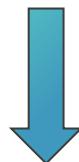


Mode dependent coupling



Does elastic mode couple with magnetic mode?

Magnetic subsystem



*Eigenmode excitation determined
by overlap integral*

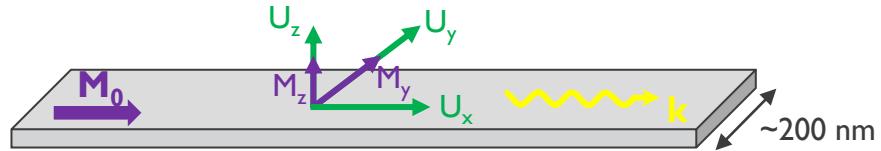
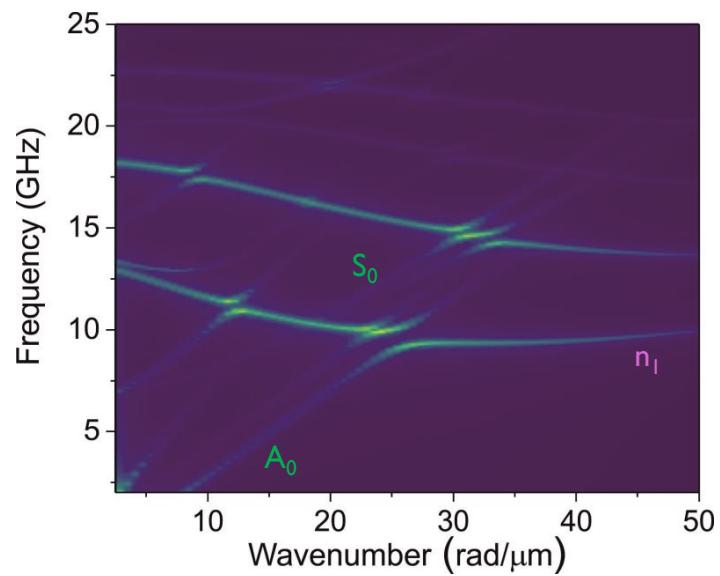
$$\int \mathbf{m} \cdot \mathbf{h}_{mel} dV$$

Magnetization mode profile

Magnetoelastic field

Overlap integral explains mode coupling

Mode dependent coupling



Does elastic mode couple with magnetic mode?

Magnetic subsystem



Eigenmode excitation determined
by overlap integral

$$\int \mathbf{m} \cdot \mathbf{h}_{mel} dV$$

Magnetization mode profile

Magnetoelastic field

Elastic subsystem



$$\int \mathbf{u} \cdot \mathbf{f}_{mel} dV$$

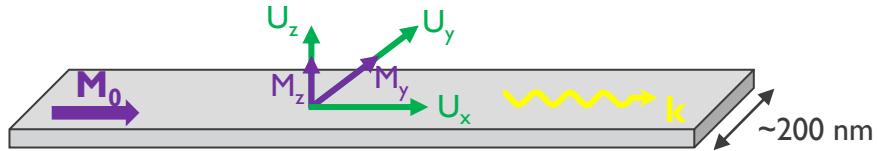
Displacement mode profile

Magnetoelastic body force

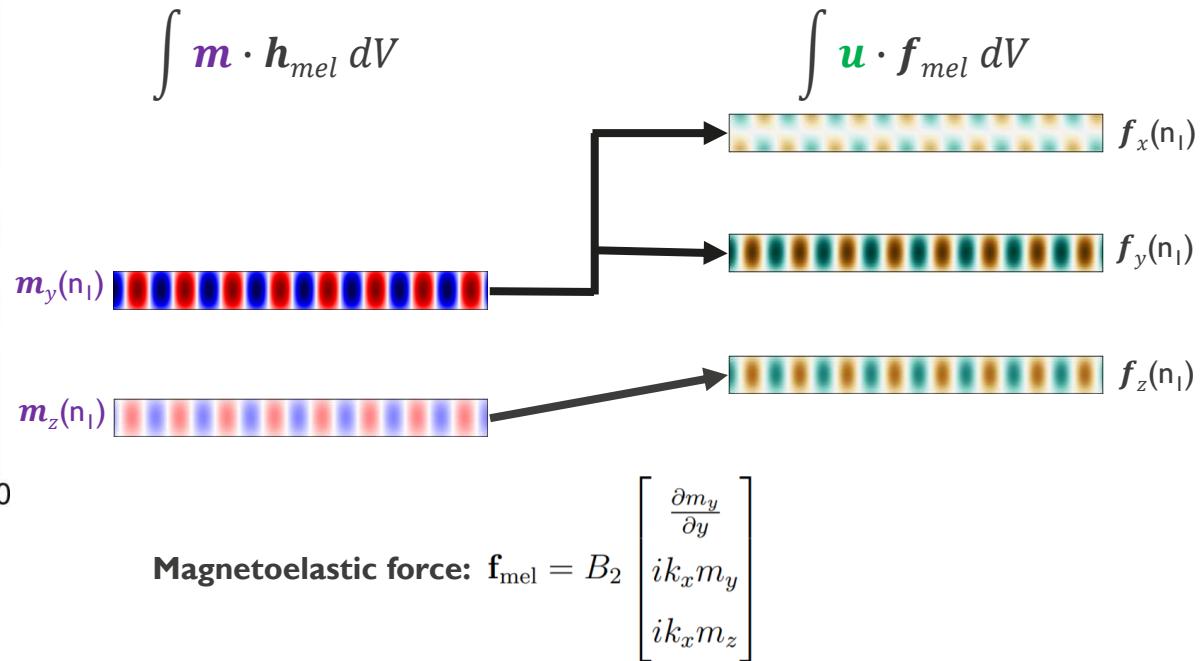
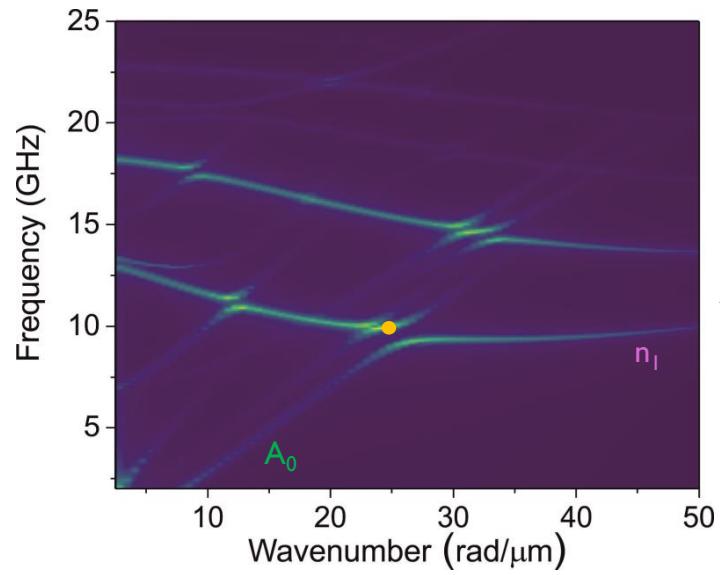
Overlap integral explains mode coupling

Mode dependent coupling

Strong coupling

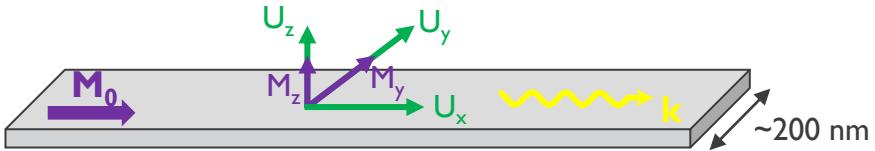


Coupling between A_0 and n_l

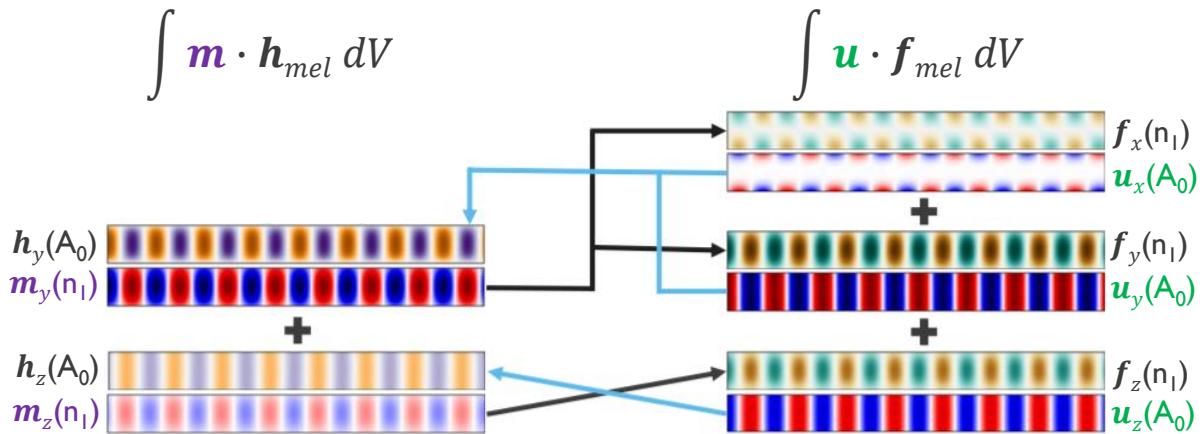
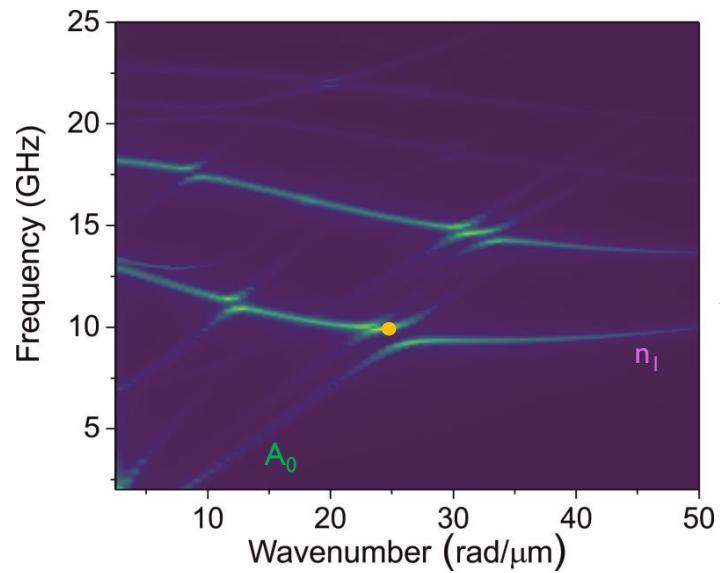


Mode dependent coupling

Strong coupling



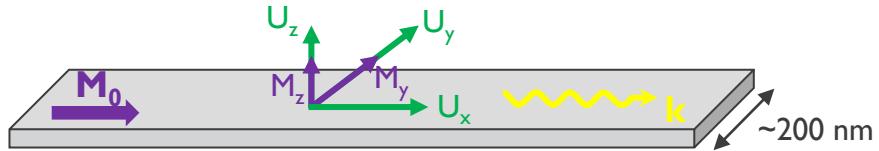
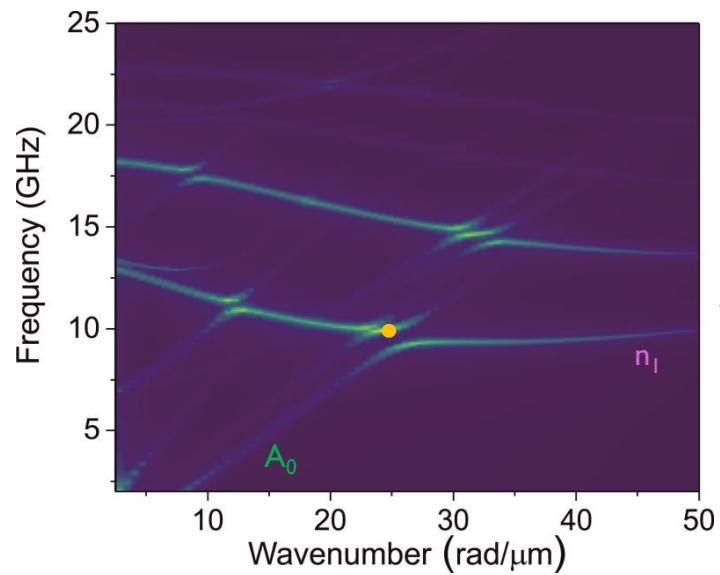
Coupling between \mathbf{A}_0 and \mathbf{n}_l



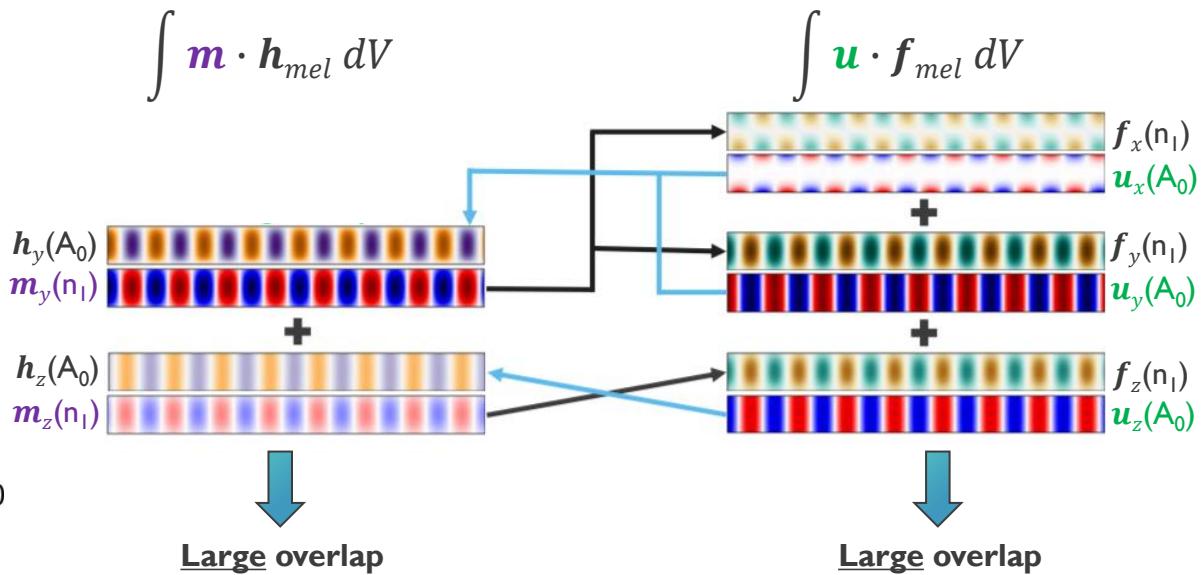
Magnetoelastic field: $\mathbf{h}_{mel} = -\frac{1}{\mu_0 M_s} \begin{bmatrix} 2B_1 i k_x u_x \\ B_2 \left(\frac{\partial u_x}{\partial y} + i k_x u_y \right) \\ B_2 i k_x u_z \end{bmatrix}$

Mode dependent coupling

Strong coupling



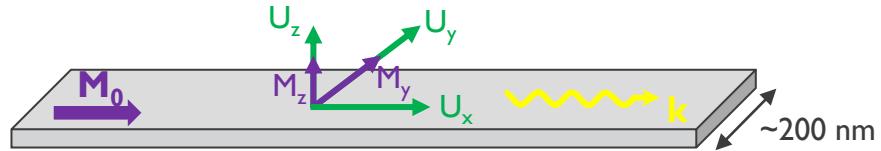
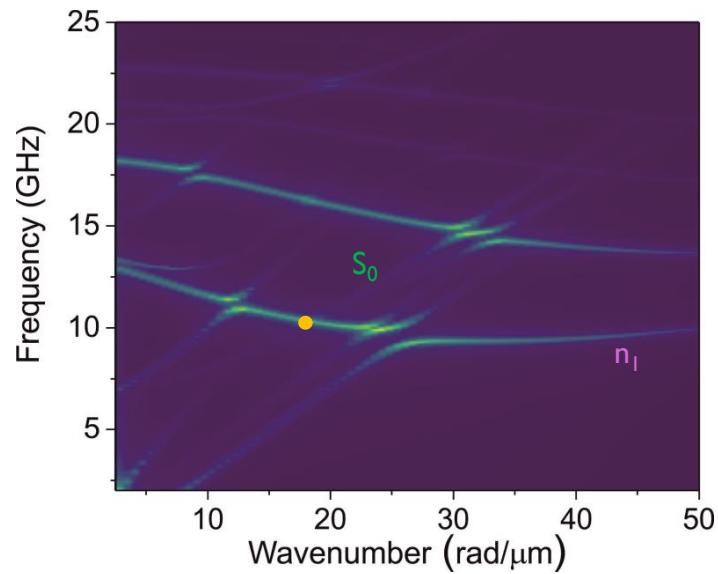
Coupling between A_0 and n_1



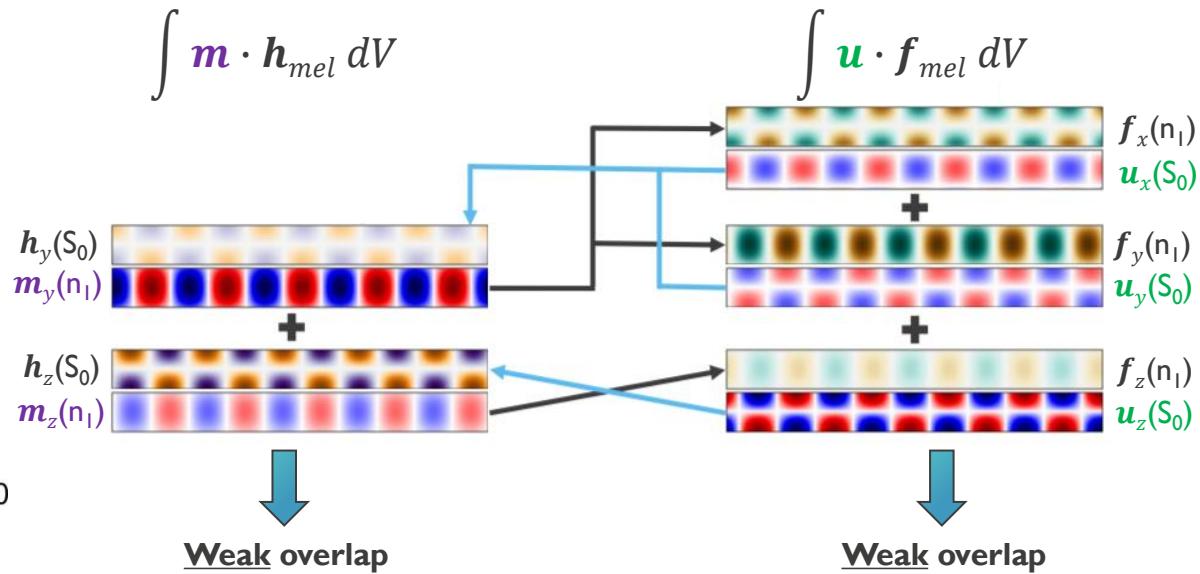
Strong coupling between elastic and magnetic modes with the same symmetry

Mode dependent coupling

Weak coupling



Coupling between A_0 and n_1



No coupling between elastic and magnetic modes with the opposite symmetry

Summary

Summary

Magnetoelectric transducer and confined magnetoelastic waves

- Analytical model to calculate **transducer efficiency**
- **New mumax3 extension** developed
- **Mode profiles** of the magnetization and displacement are quasi **unaffected** by the magnetoelastic coupling
- **Strong magnetoelastic coupling** between elastic and magnetic **modes with the same symmetry**

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- *Roman Verba*
- *Bart Soree*

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